

# Ocular drift: modulating retinal power and interactions with retinal sensitivity

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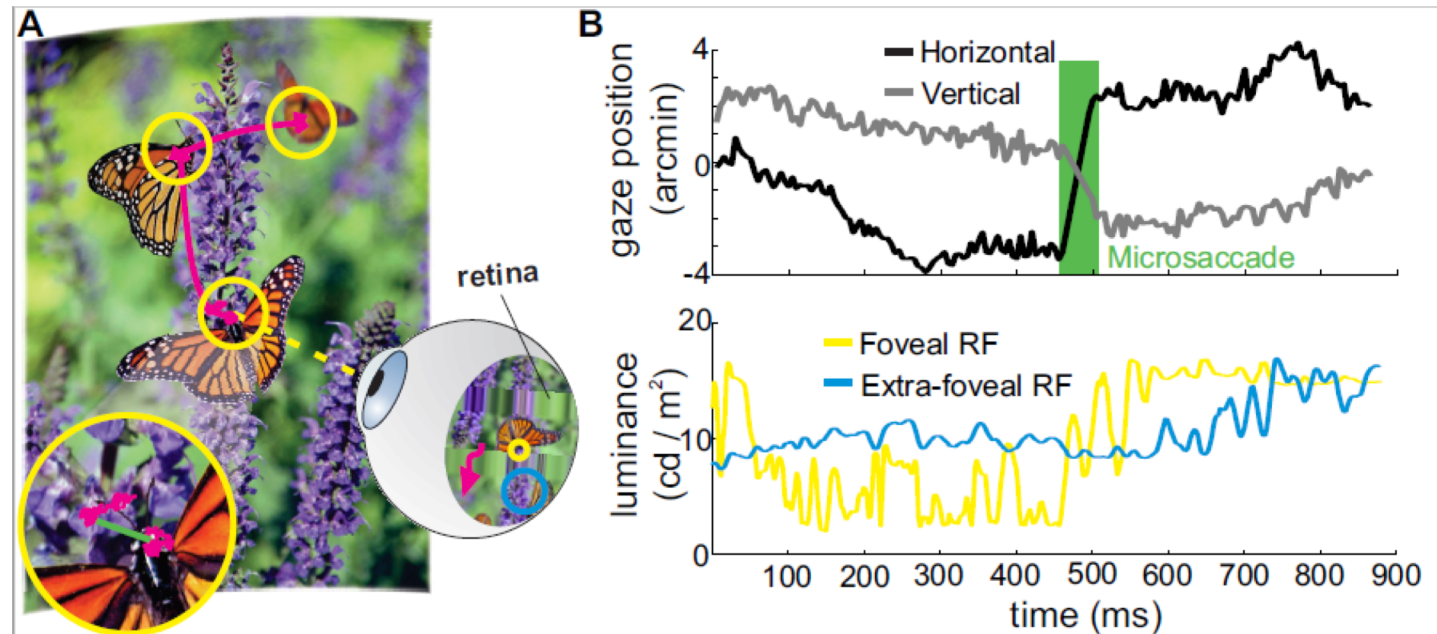
# Questions and Overview

- How does drift contribute to vision across the retina?
- How much drift is optimal?
- Is drift controlled to modulate temporal power on the retina?
  
- Background
- Methods for studying perceptual and computational consequences of drift
- Current state of the “Drift Gain” projects
- **Next Steps**

Background

# What is ocular drift?

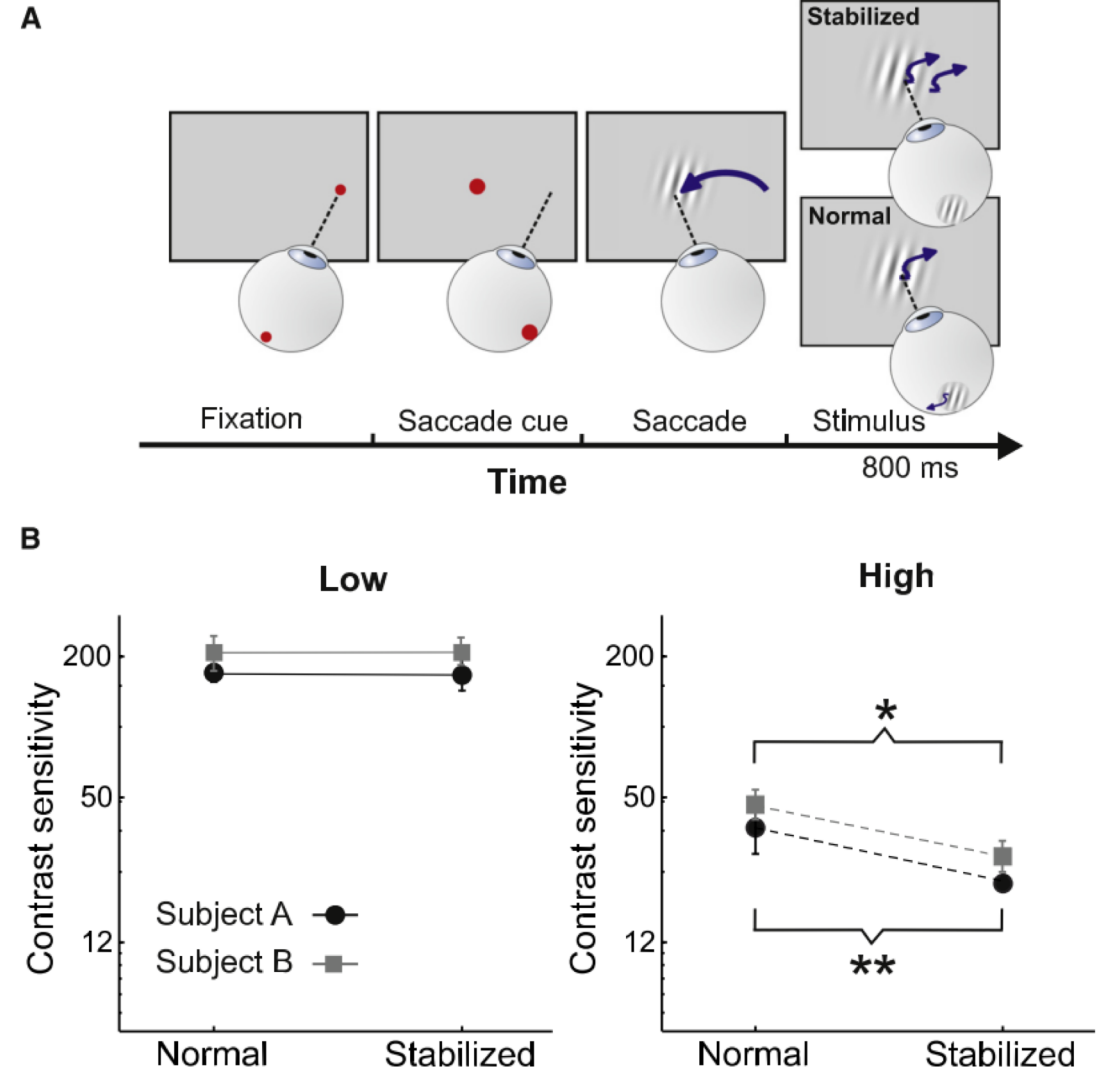
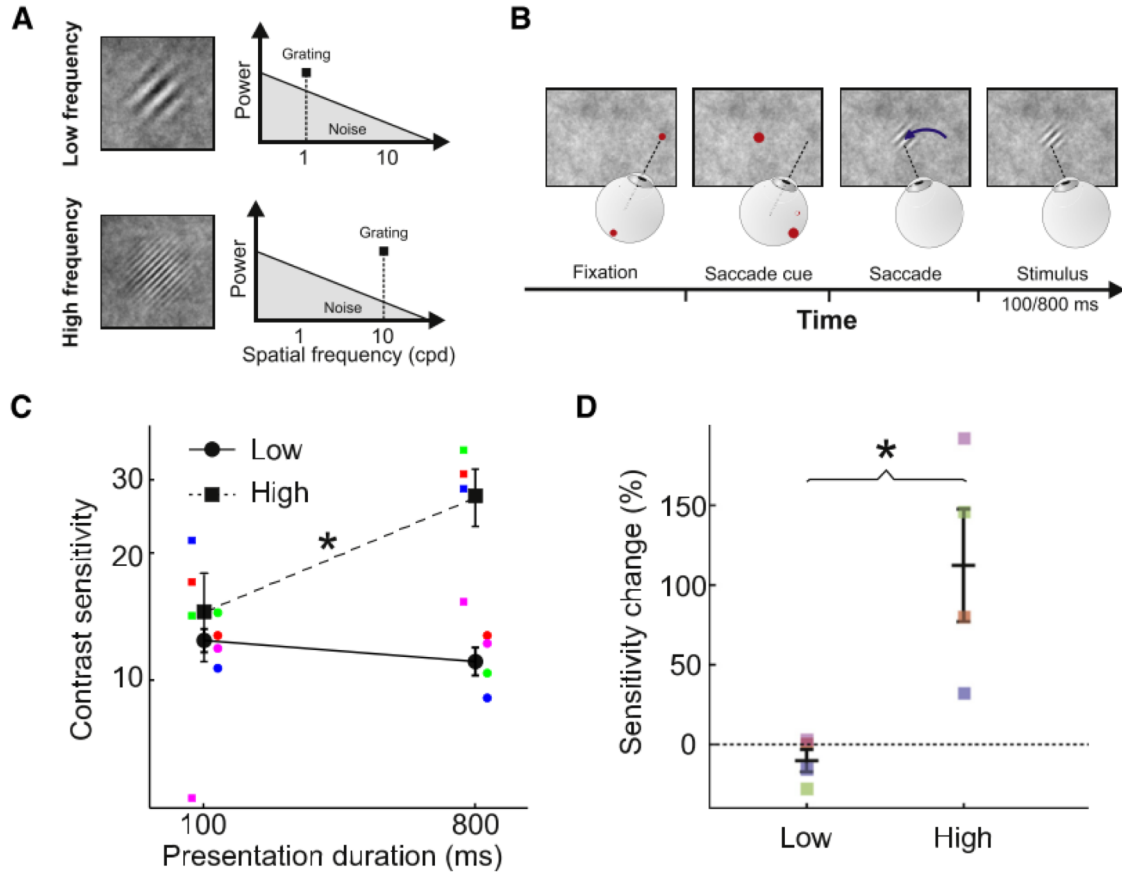
- Wandering motion of the eye between saccadic events
- In the fovea, drift can move the image on the retina by many photoreceptors
- “slow-control”



# Why do we drift?

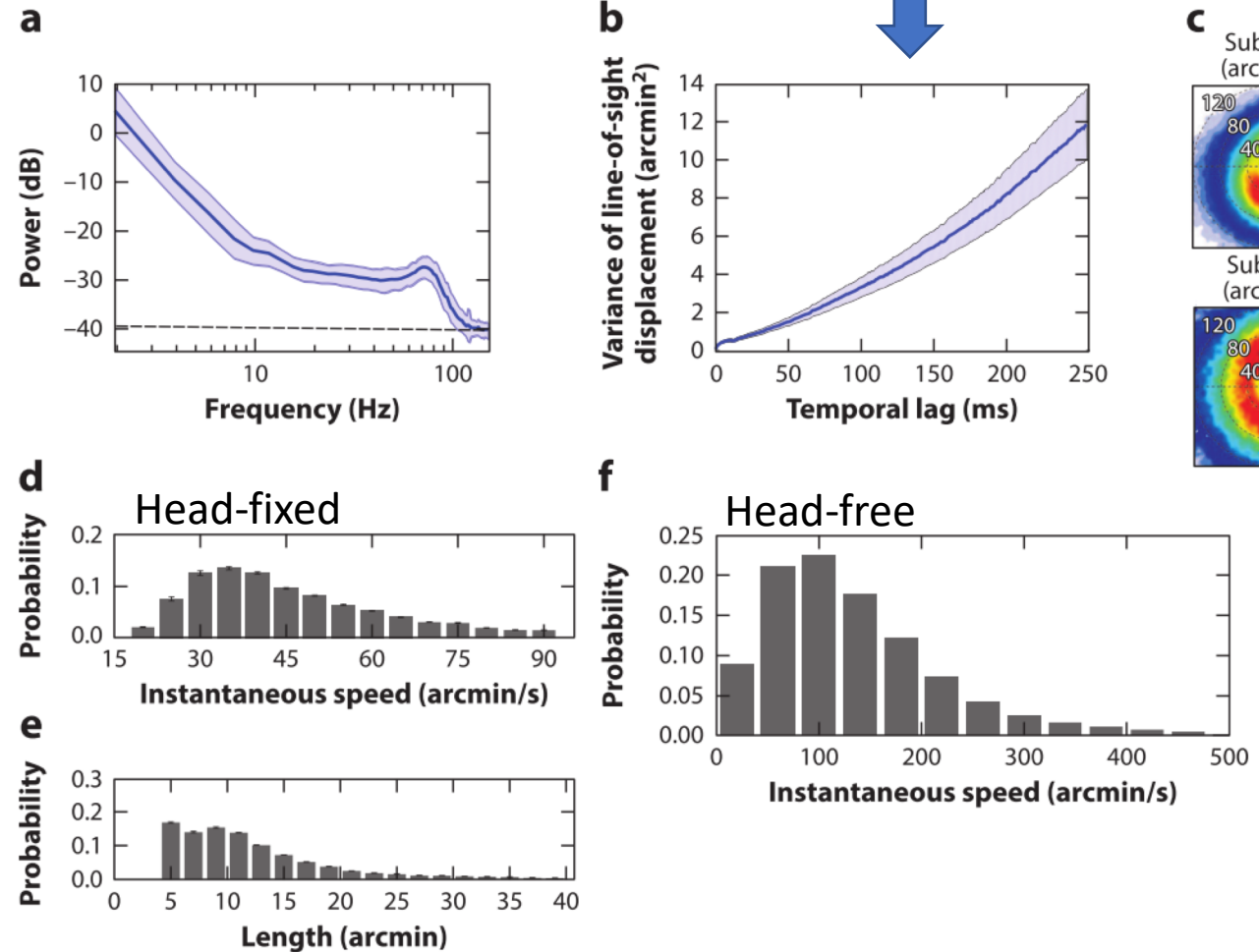
- Drive responses from retinal ganglion cells (RGC) which prefer dynamic inputs over static
- Space-time transformation to enhance and improve signal-to-noise ratio (SNR) for high spatial frequencies

# Why do we drift?



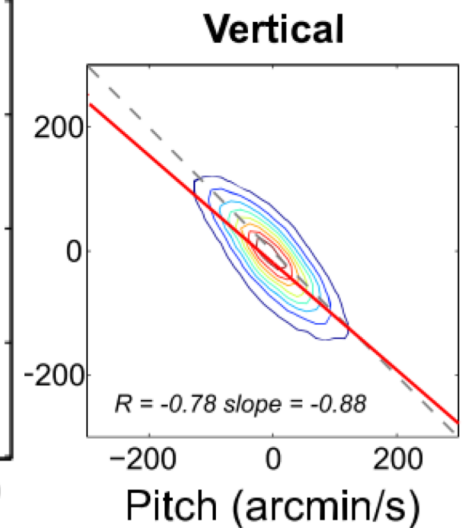
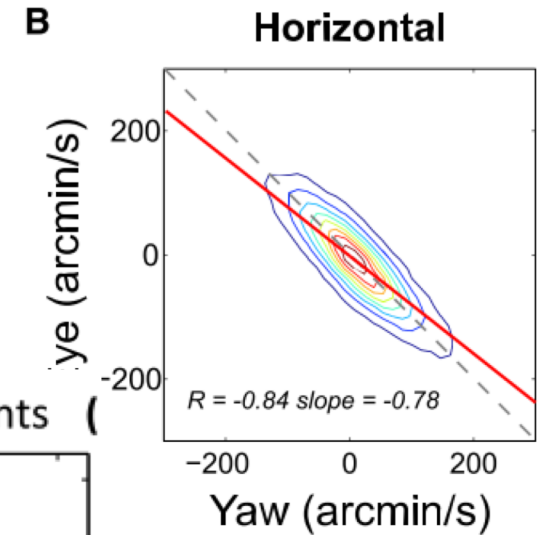
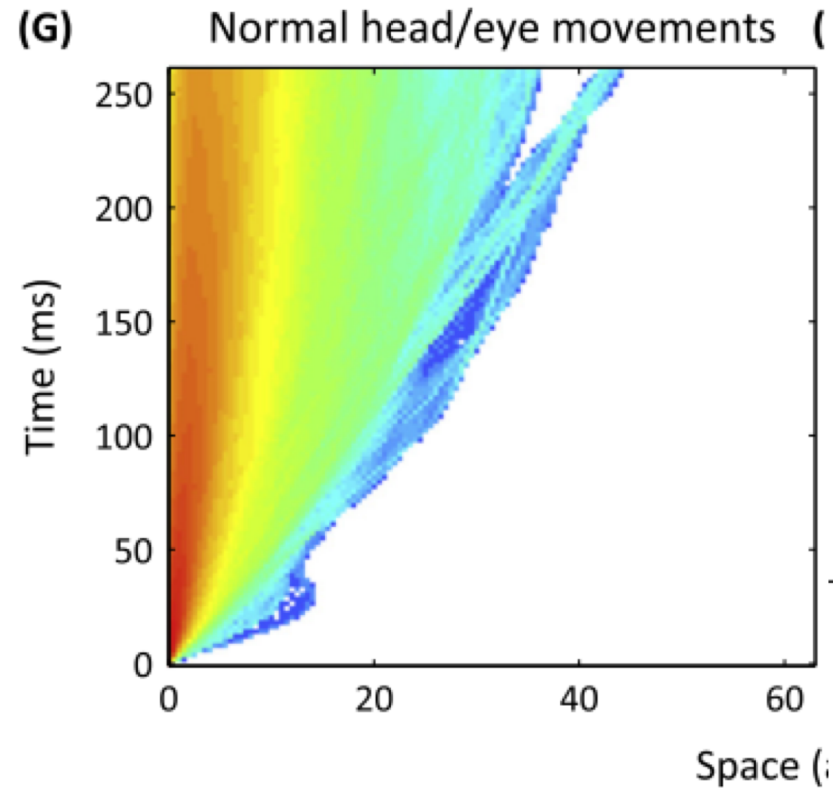
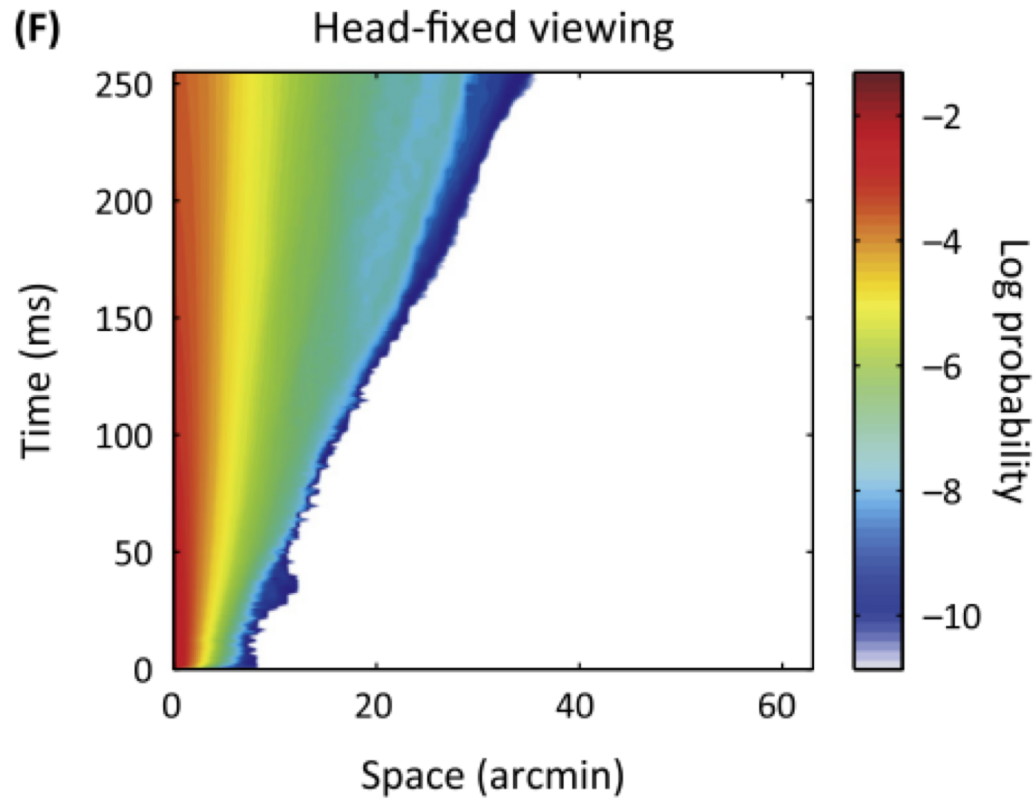
# How do we drift?

- Drift during fixation have been well characterized (Cherici et al 2012)
- Maintain velocity of retinal image (Epelboim & Kowler, 1993)
- Characteristics of fixational drift change based on instruction, type of fixation marker, rotation of eye in head, ... (Nachmias 1961, Steinman 1973, Kowler 2011)



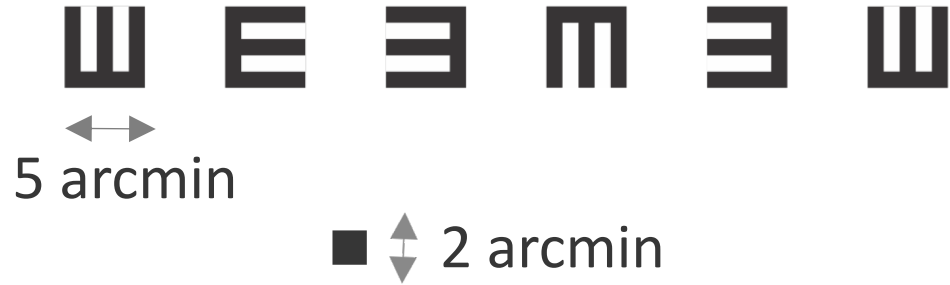
# How do we drift?

During head-free fixation, drifts of the eye and head counterbalance each other so as to maintain the characteristics of retinal image motion observed during head-fixed fixation





# How do we drift?



Probability of gaze displacement over time

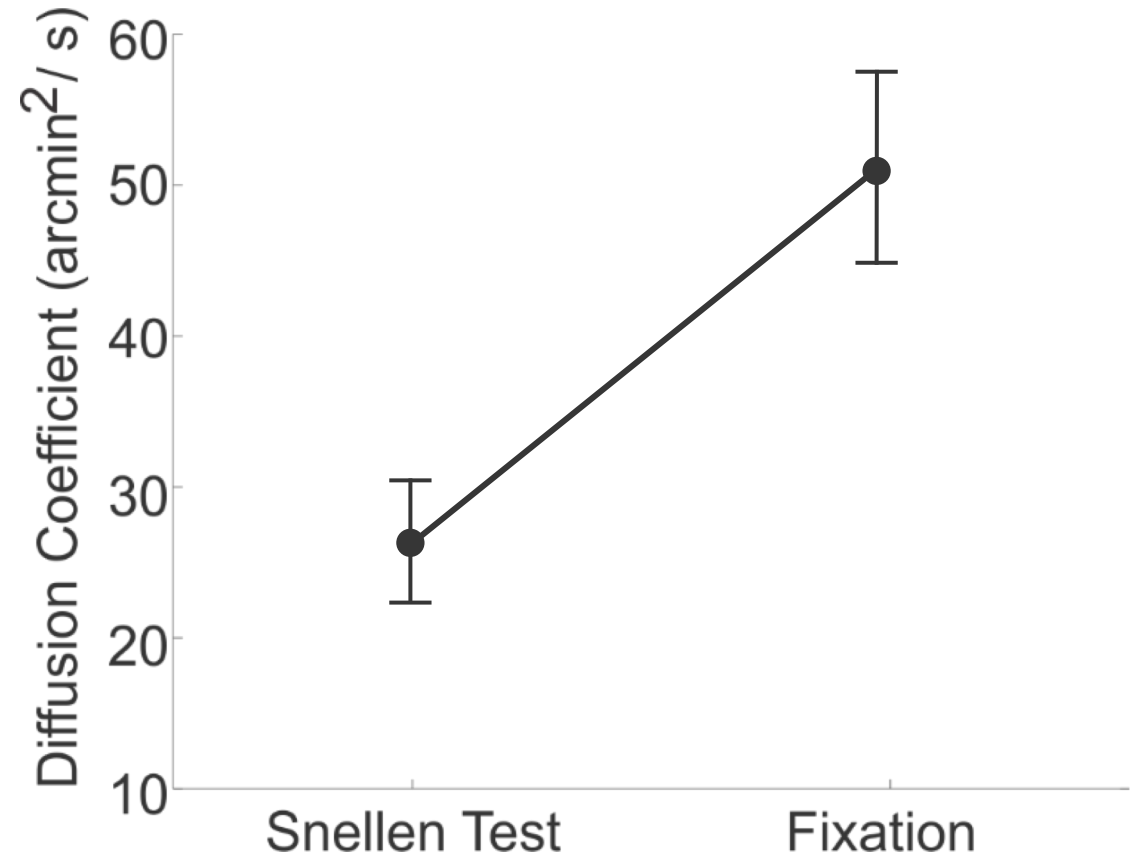


smaller

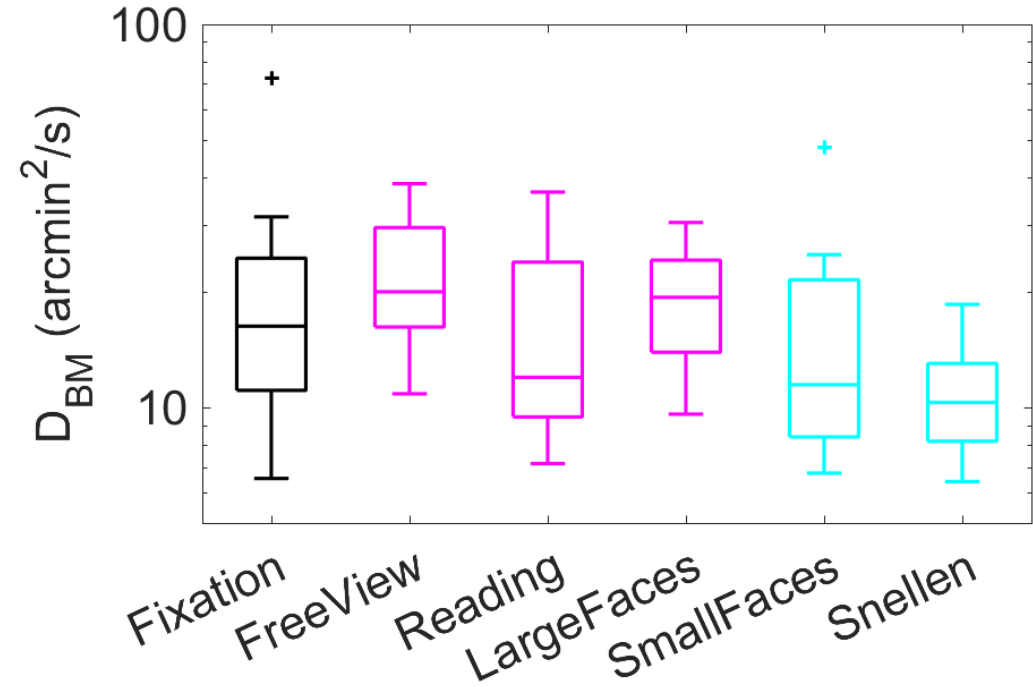
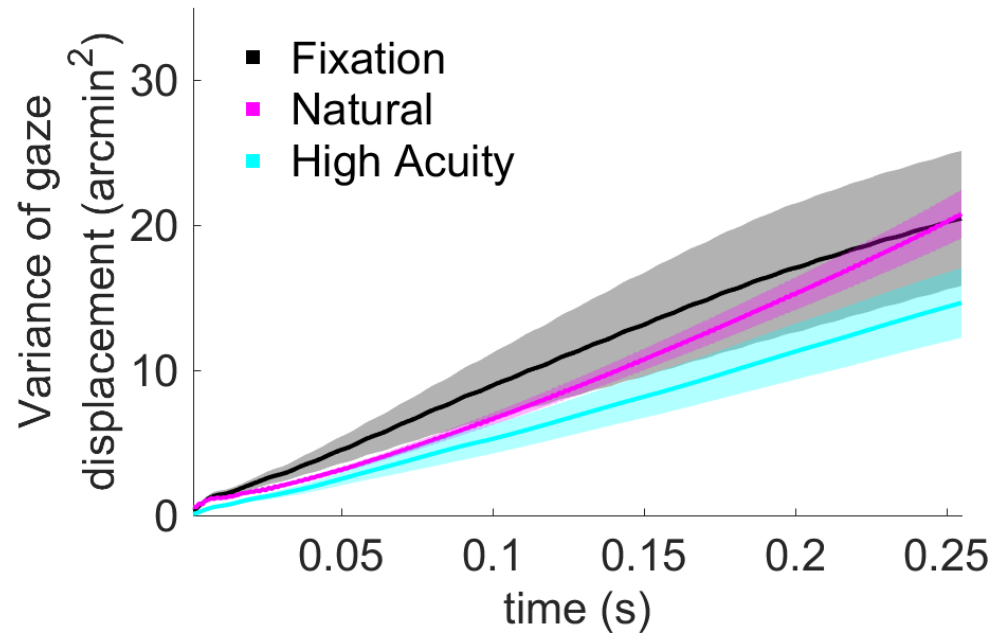
larger

Diffusion Constant

## Drift Diffusion Constant



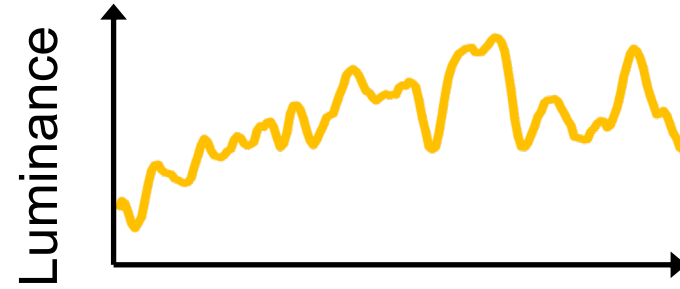
# How do we drift?



Subject counts: 9, 8, 14, 12, 10, 8

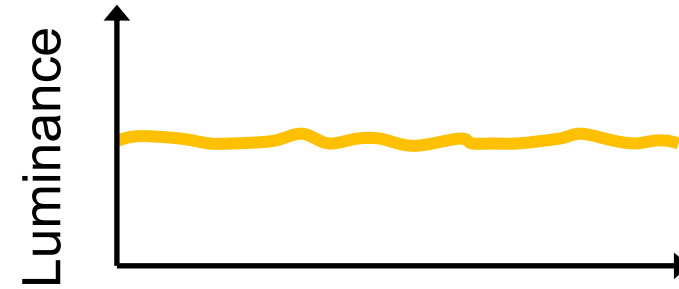
# Methods

# Controlling retinal stimulation



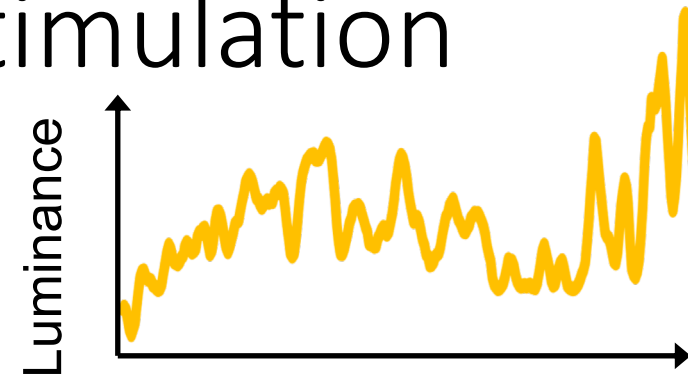
**Normal Viewing**

# Controlling retinal stimulation



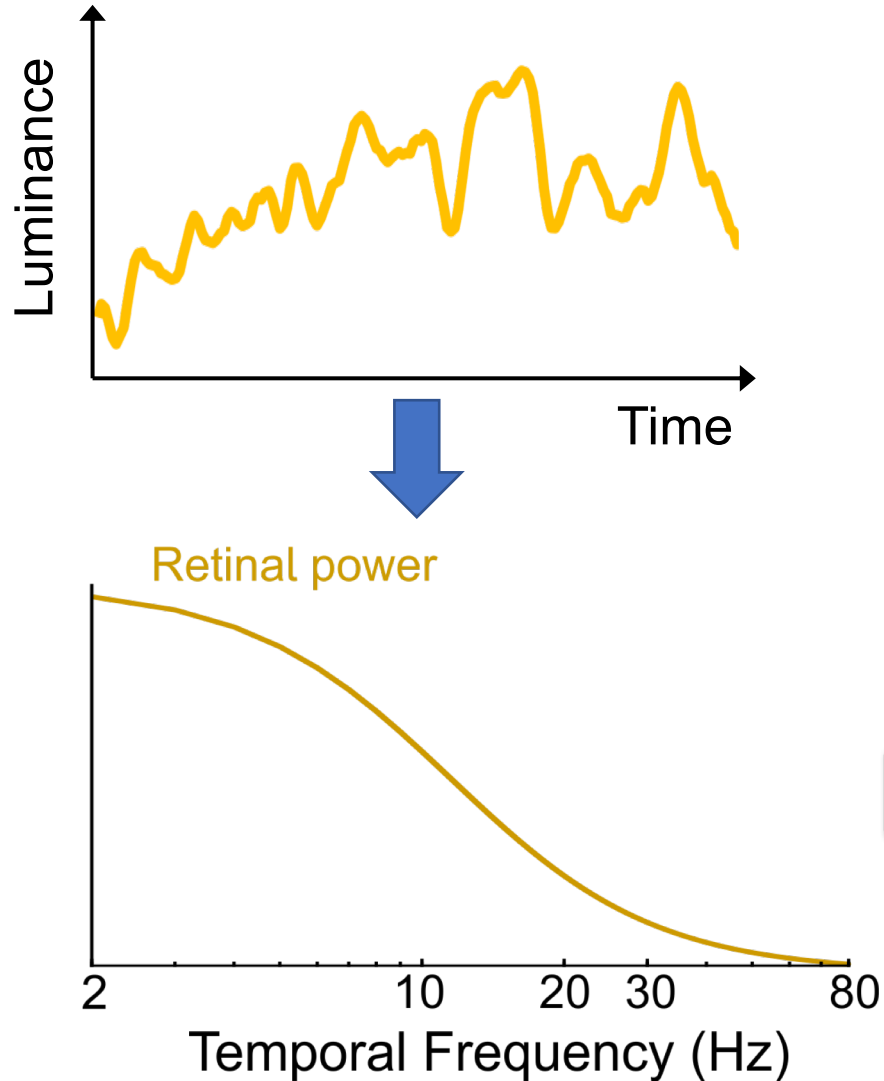
**Retinal Stabilization**

# Controlling retinal stimulation

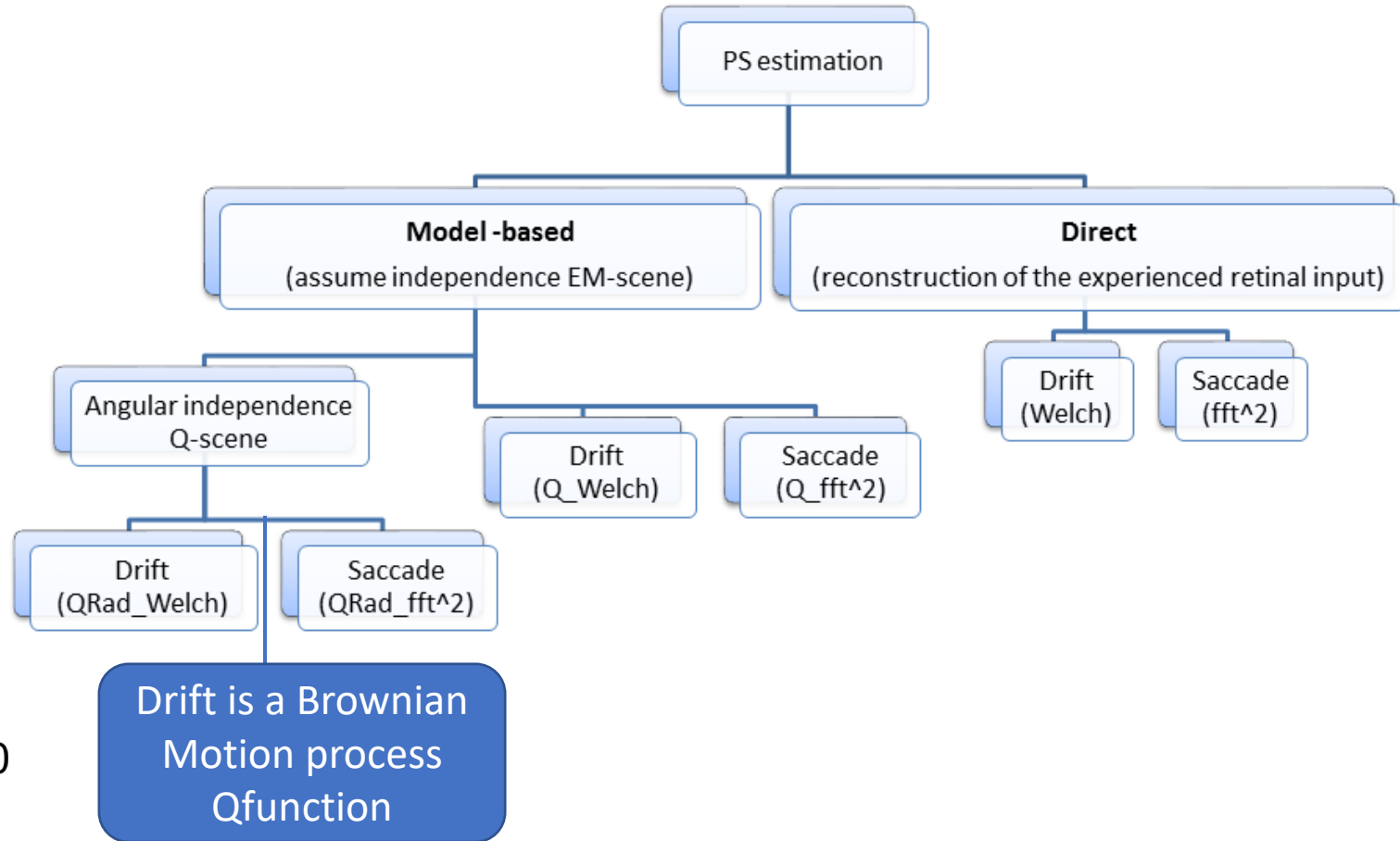


**Retinal Image  
Motion Amplification**

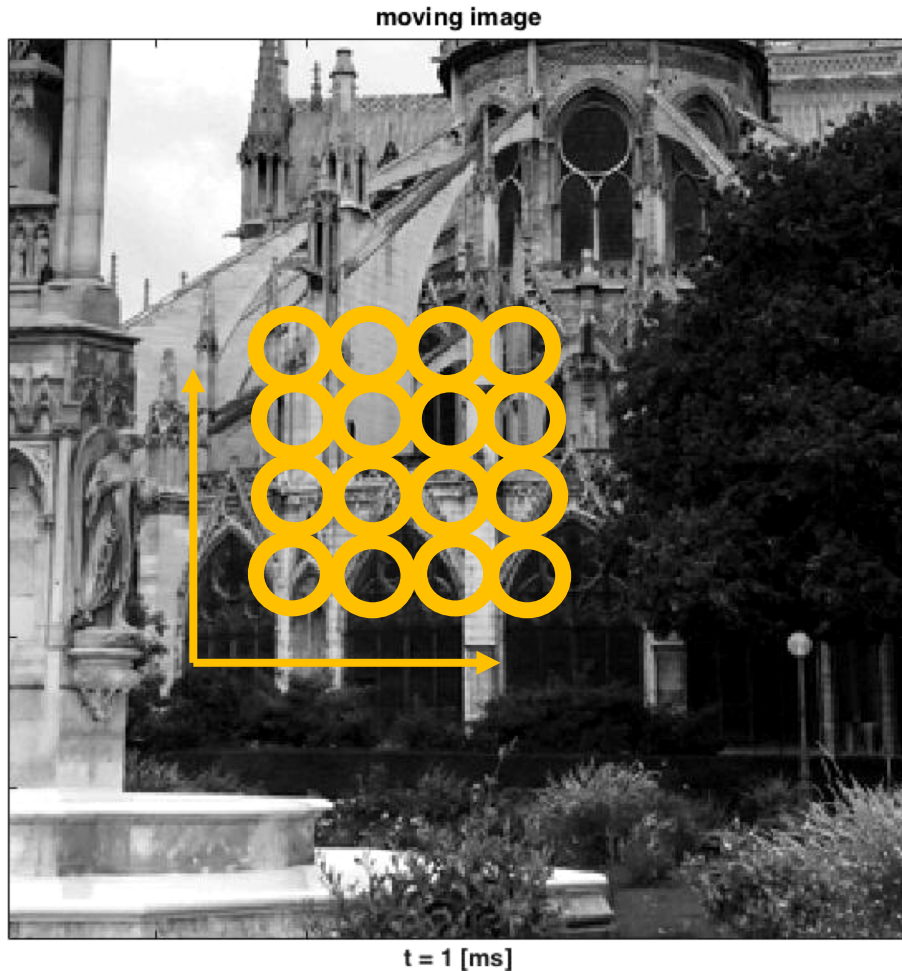
# Temporal power on the retina



## Power Spectrum estimation



# Power Spectrum estimation (Direct)



Stationary image:  $i(x, y)$

Eye movements:  $\xi_x(t), \xi_y(t)$

Retinal input:

$$r(x, y, t) = i(x + \xi_x(t), y + \xi_y(t))$$

PS of retinal input:

$$S(k_x, k_y, f) = \mathcal{F}\{r(x, y, t)\}^2$$



# Power Spectrum estimation (Model-based)

Assumes 1. homogeneity of image and 2. independence of FEM and image

Stationary image:  $I(k) = \mathcal{F}\{i(x)\}$

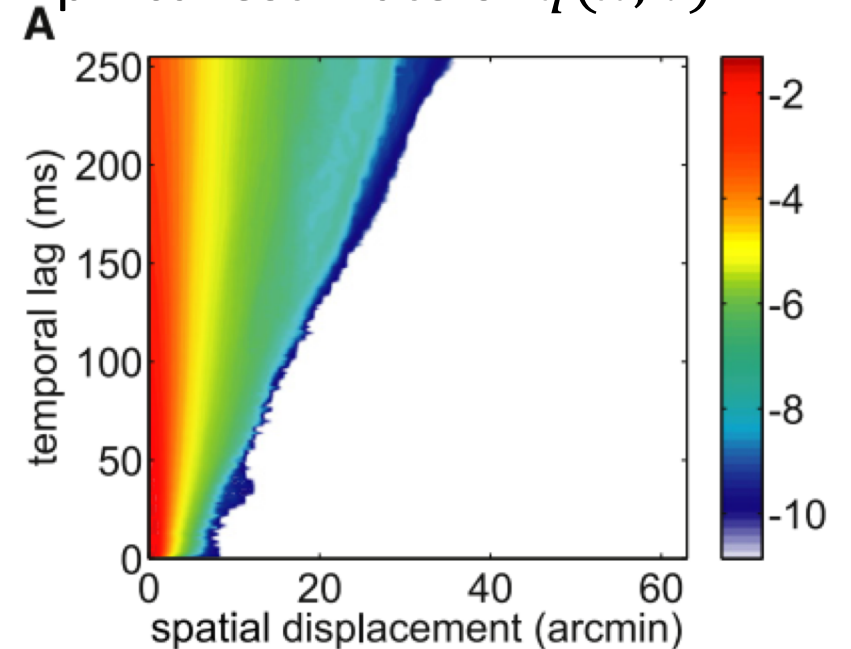
Eye movements:  $Q(k, f) = \mathcal{F}\{q(x, \tau)\}$

$q(x, \tau)$ : Probability of eye displacement over time

PS of retinal input:

$$S(k, f) = I(k)Q(k, f)$$

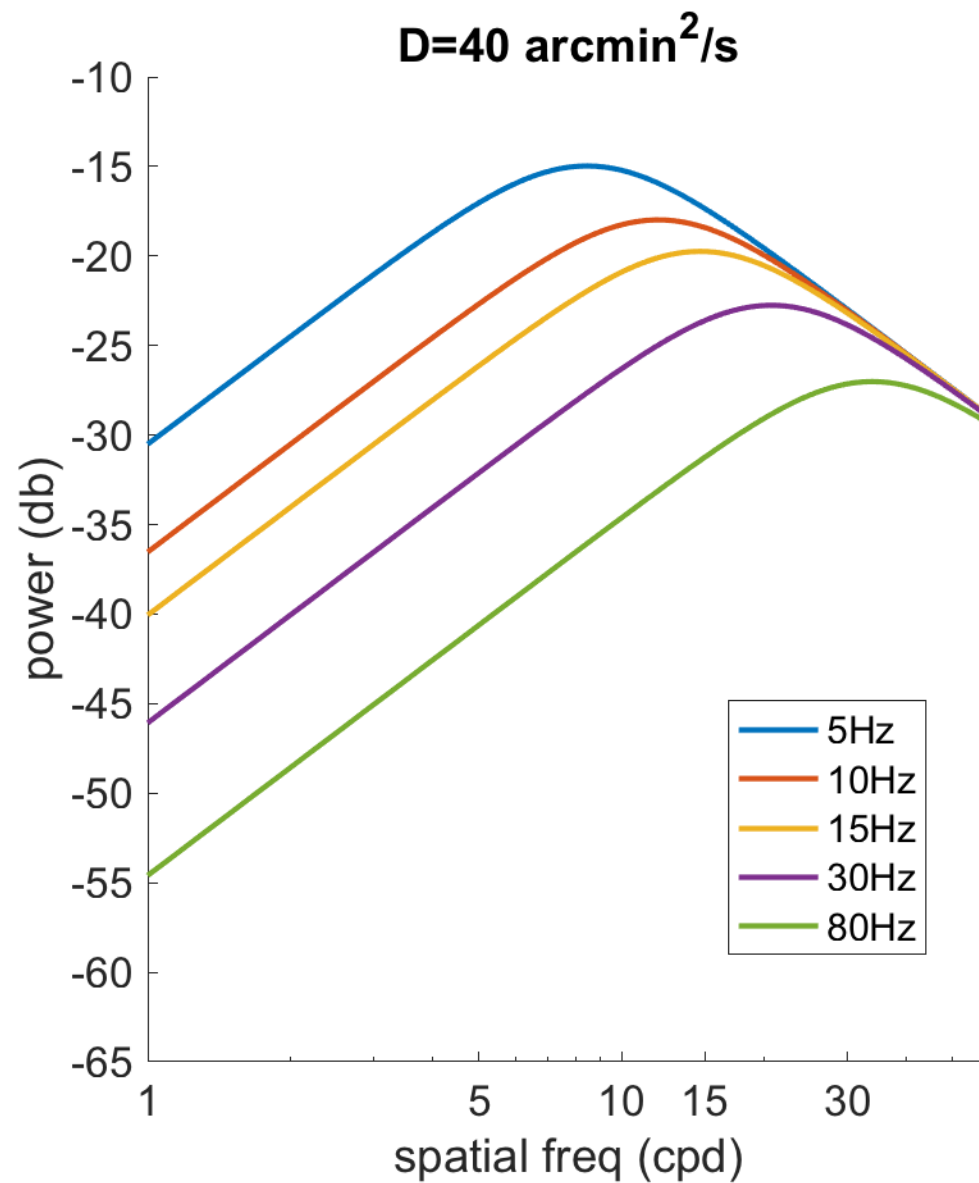
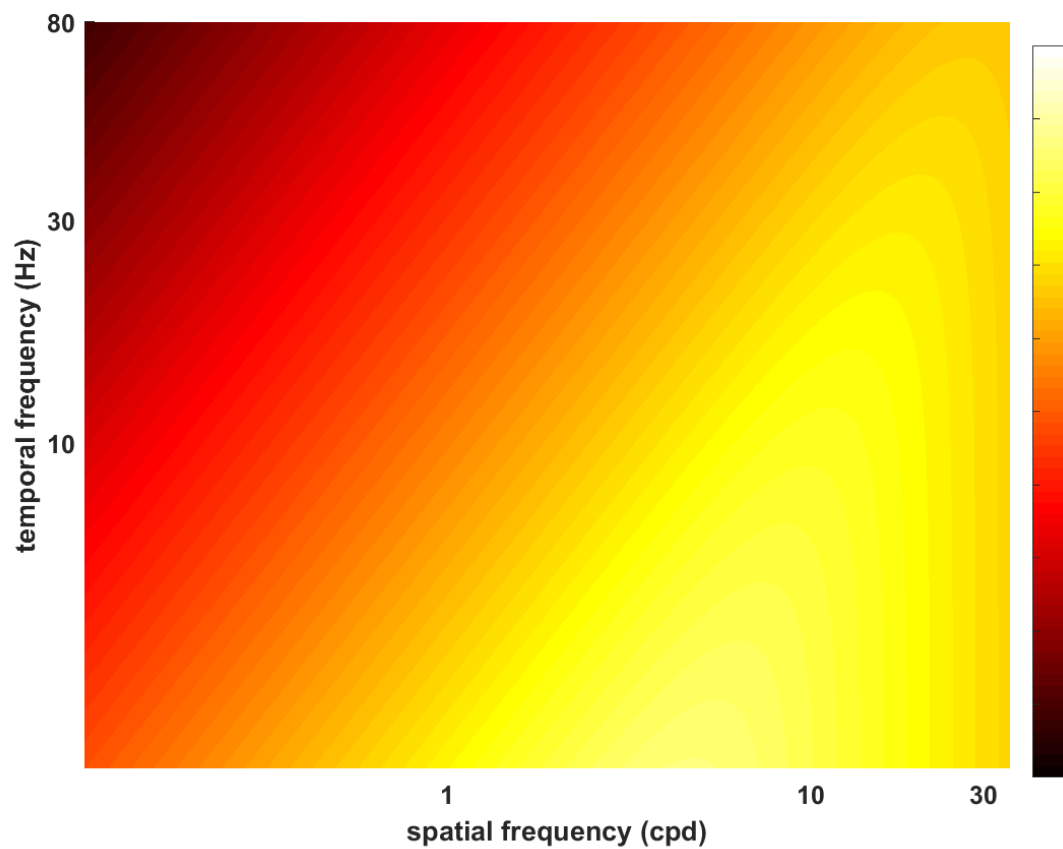
## 1. Empirical estimate of $q(x, \tau)$



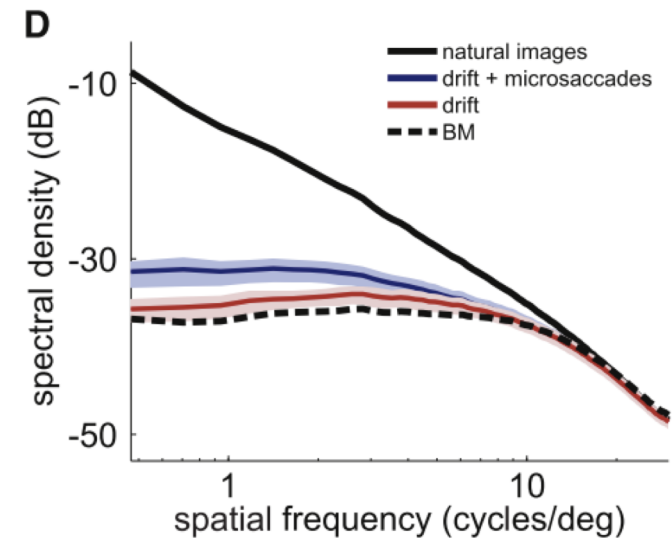
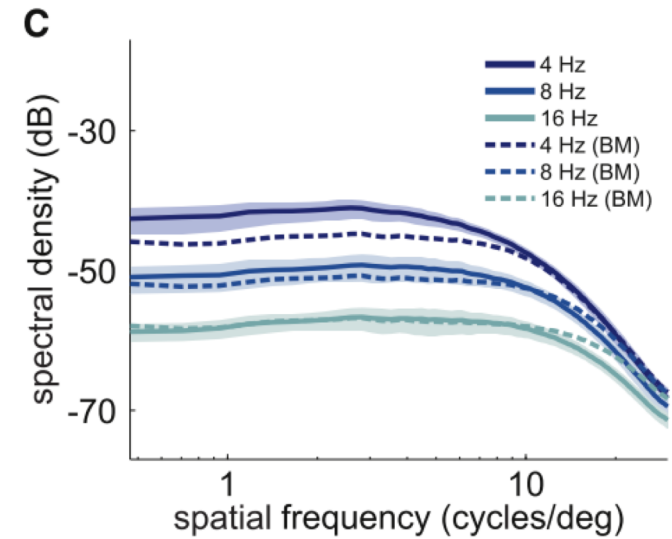
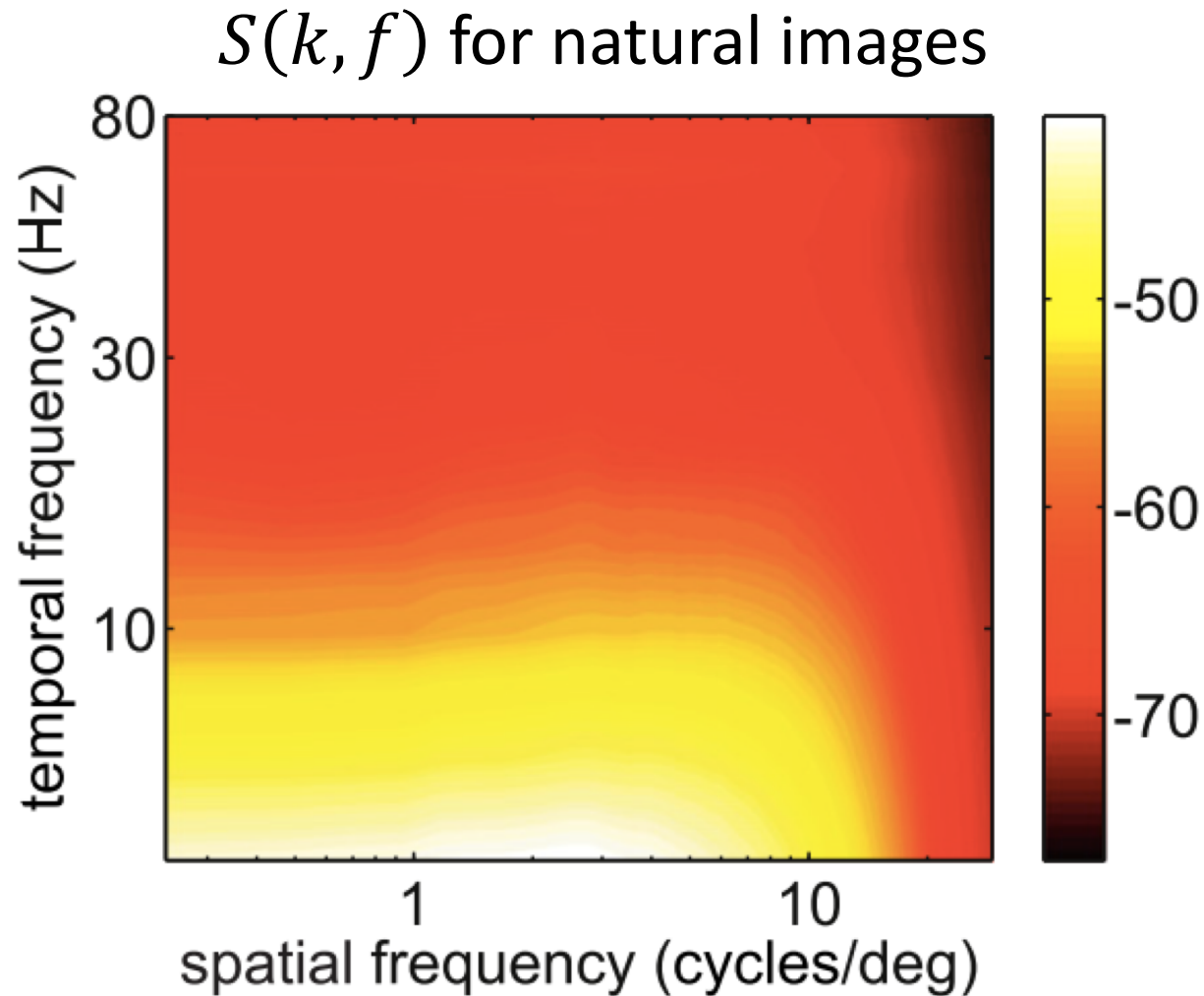
2. Brownian Motion model of  $q(x, \tau) \rightarrow$  known closed forms of  $q(x, \tau; D)$  and  $Q(k, f; D)$

# Power Spectra

$$Q(k, f; D = 40)$$

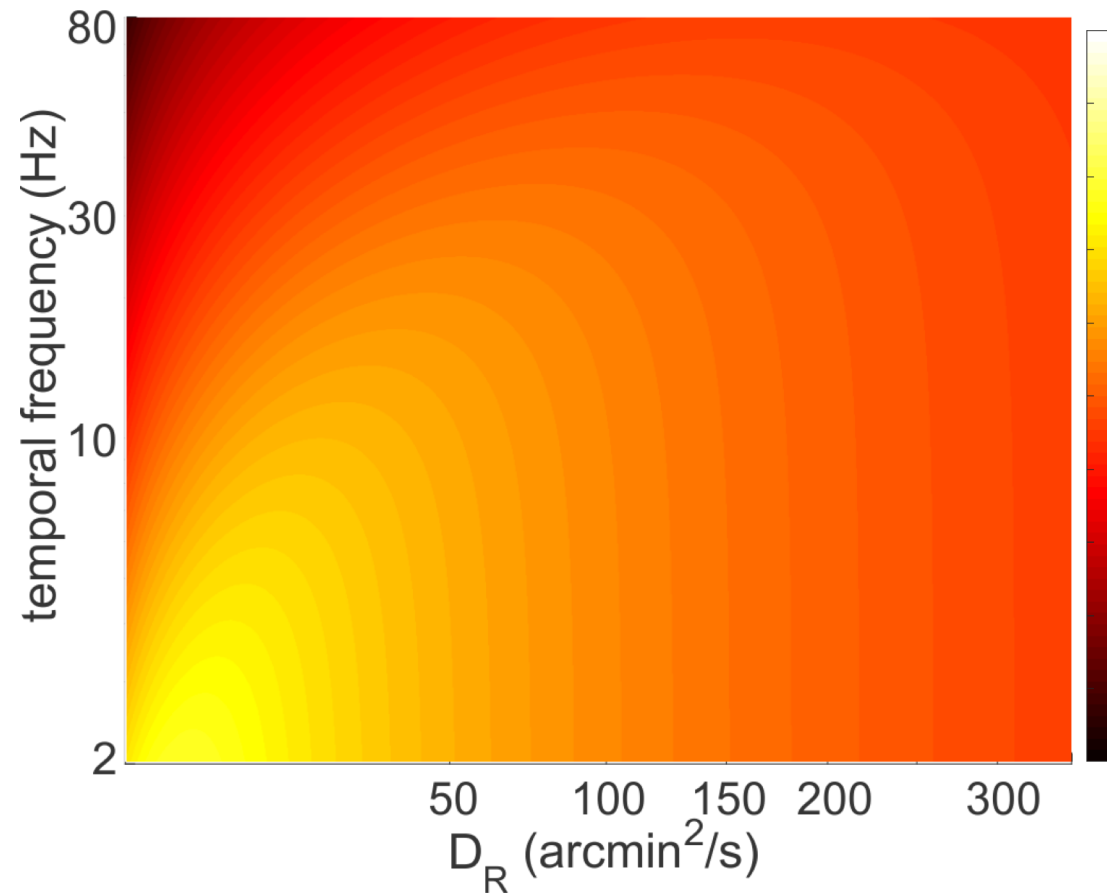


# Power Spectra



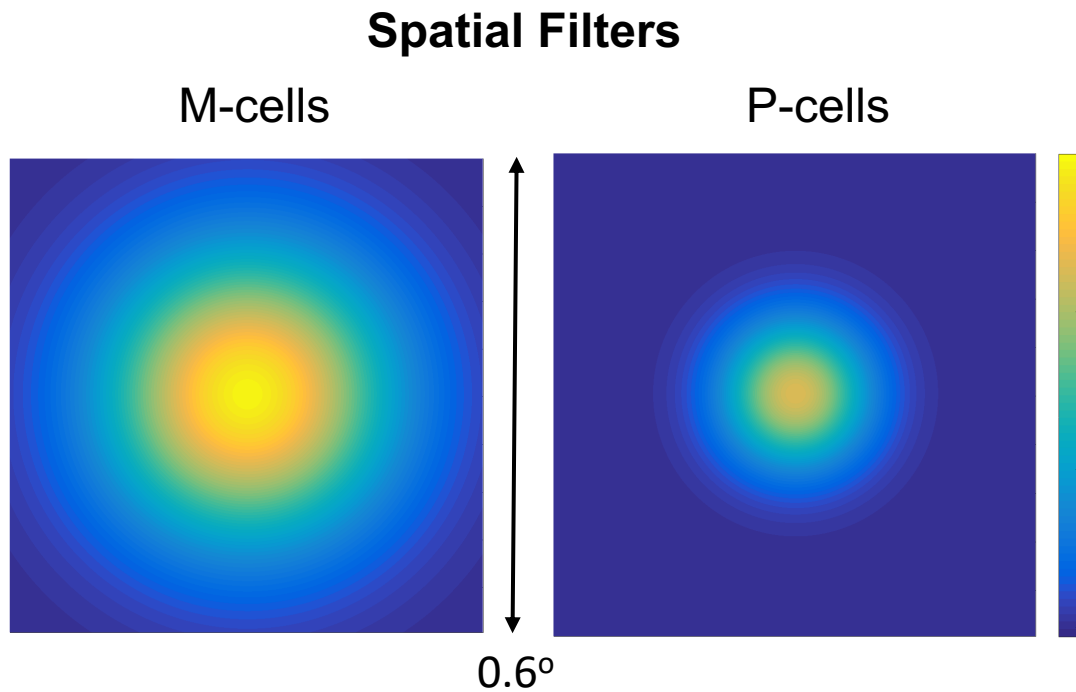
# Power Spectra of BM

$$Q(k = 16, f; D)$$

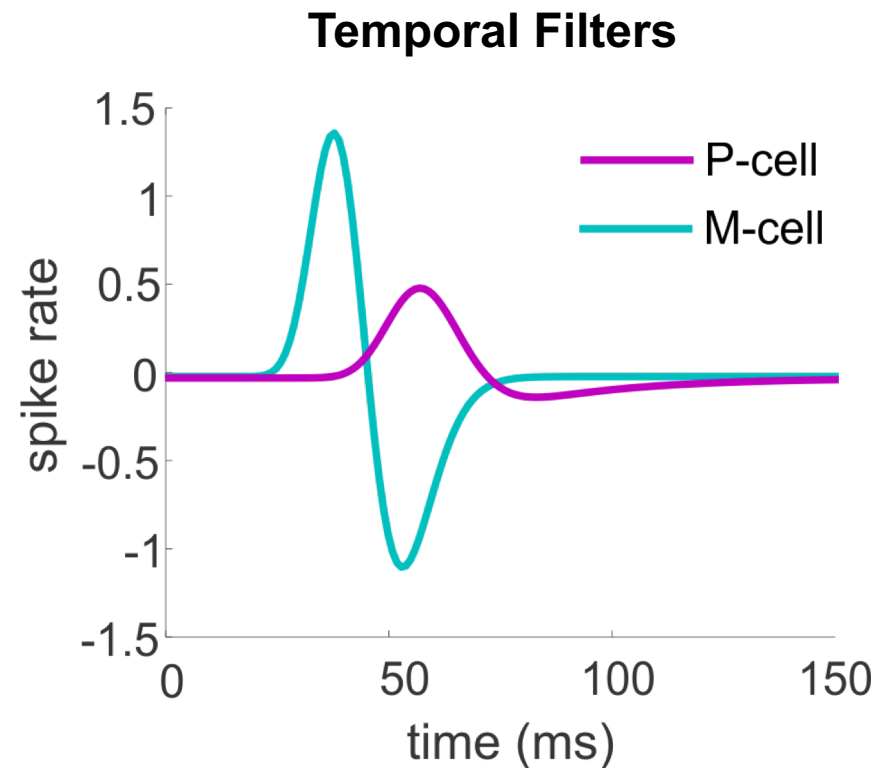


# RGC Sensitivity

- Neurophysiological measurements of RGC spatiotemporal sensitivity



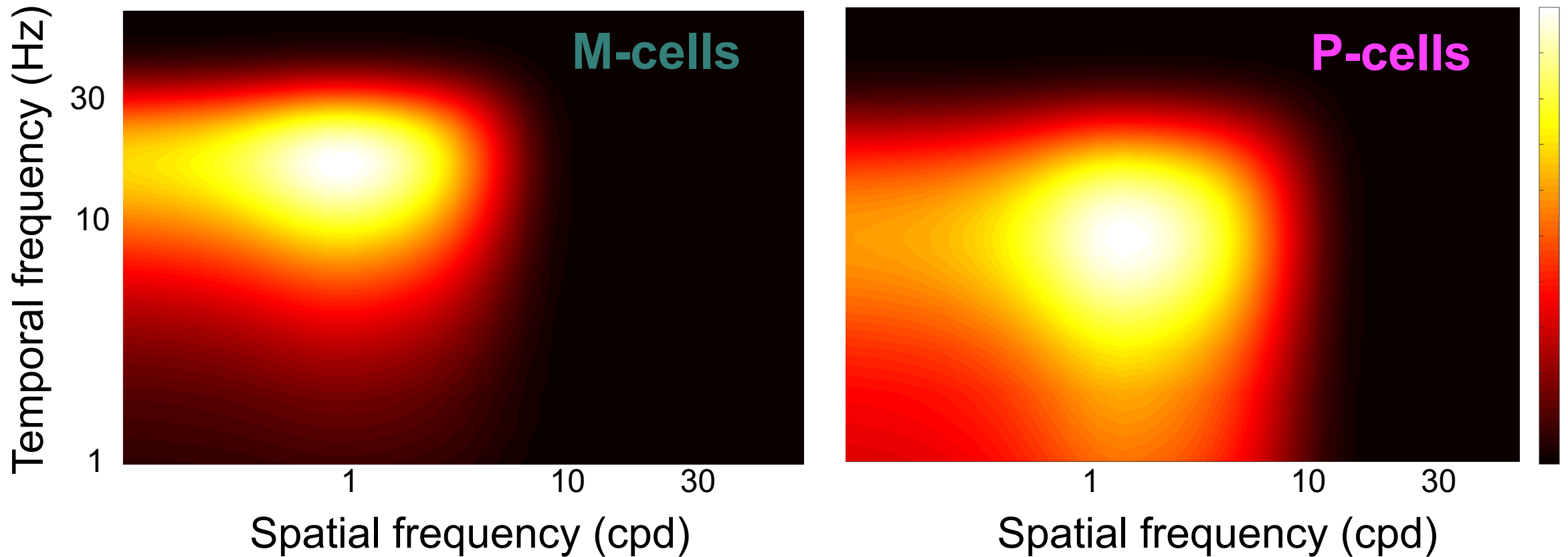
5° eccentricity (Croner & Kaplan, 1995)



2.5° eccentricity (Kaplan & Benardete, 1999ab)

# RGC Sensitivity

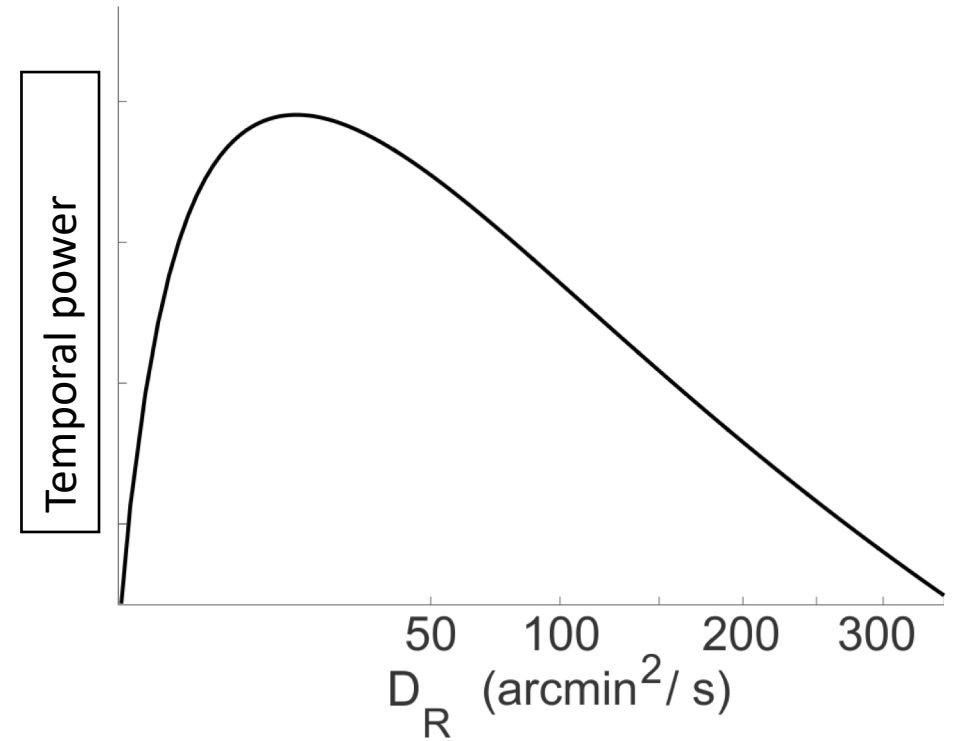
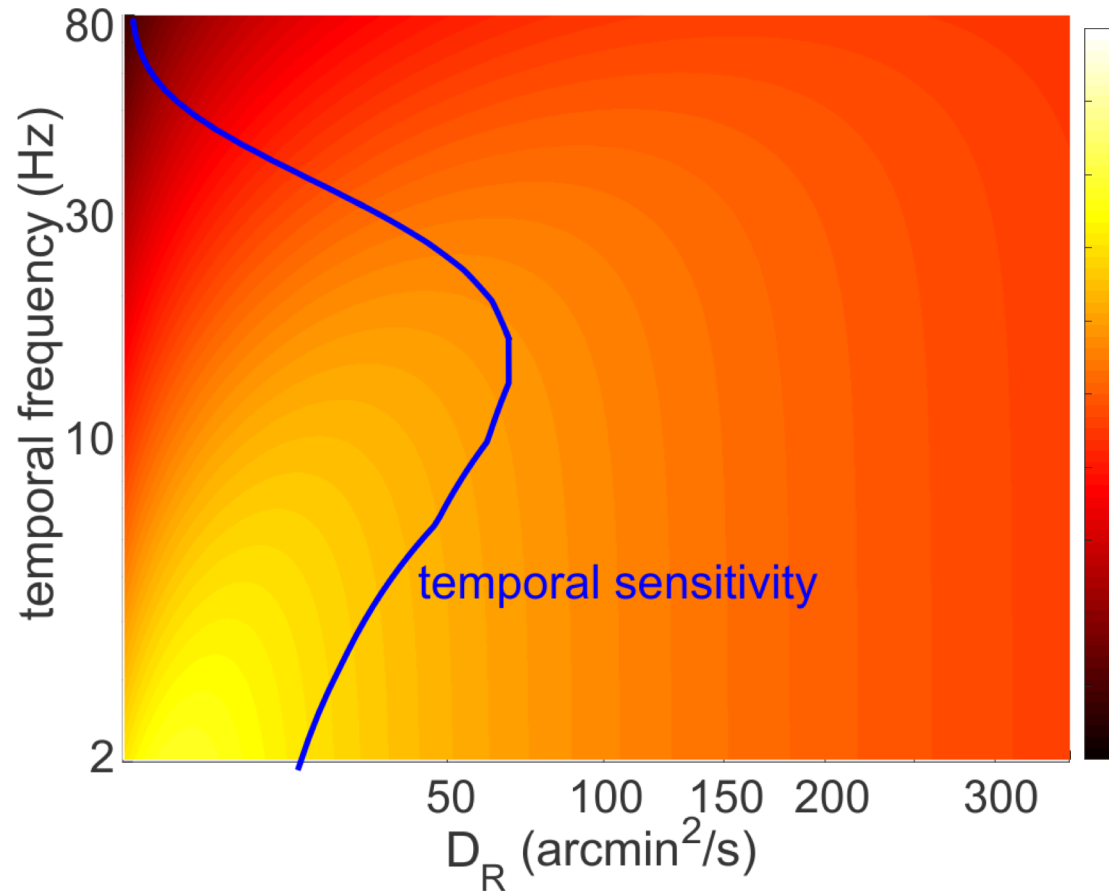
- Neurophysiological measurements of RGC spatiotemporal sensitivity



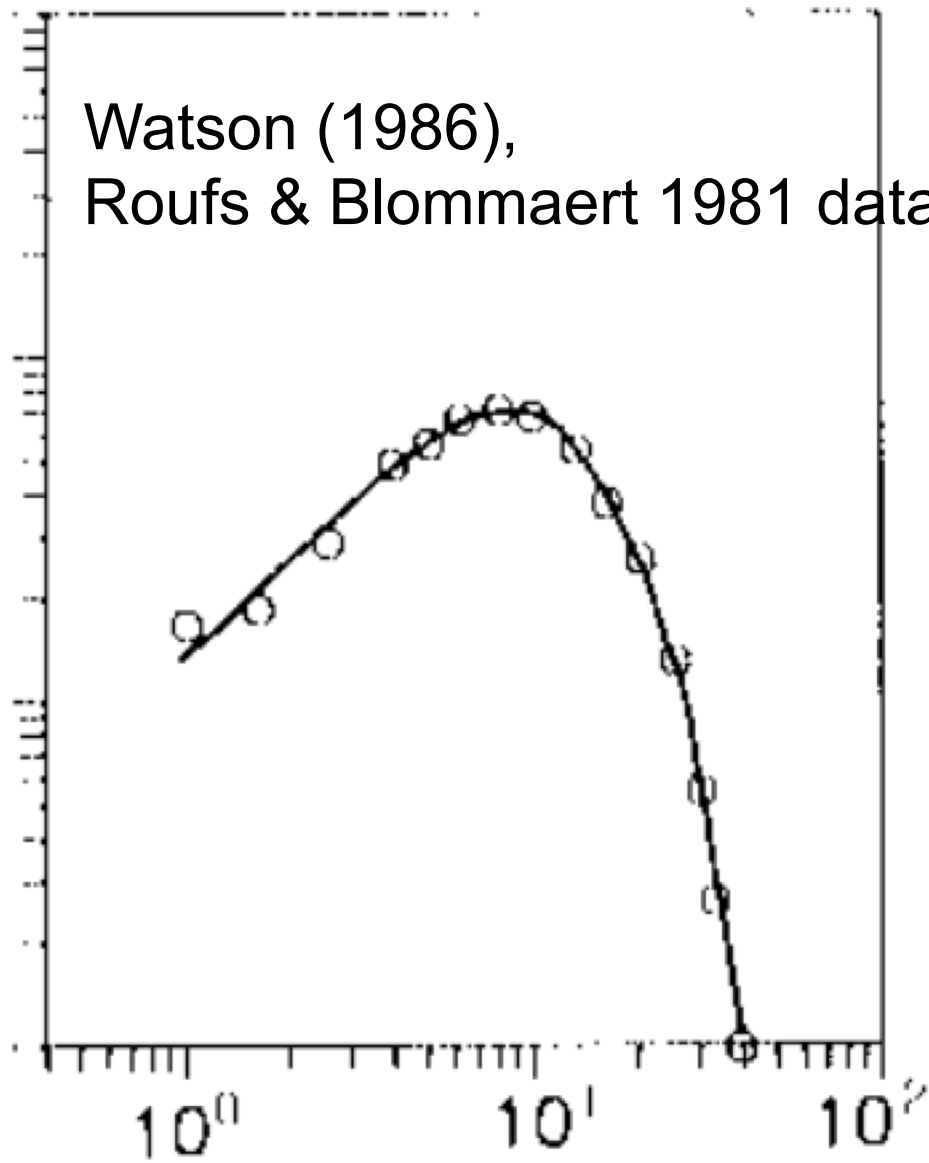
# Power Spectra of BM

Retinal Power

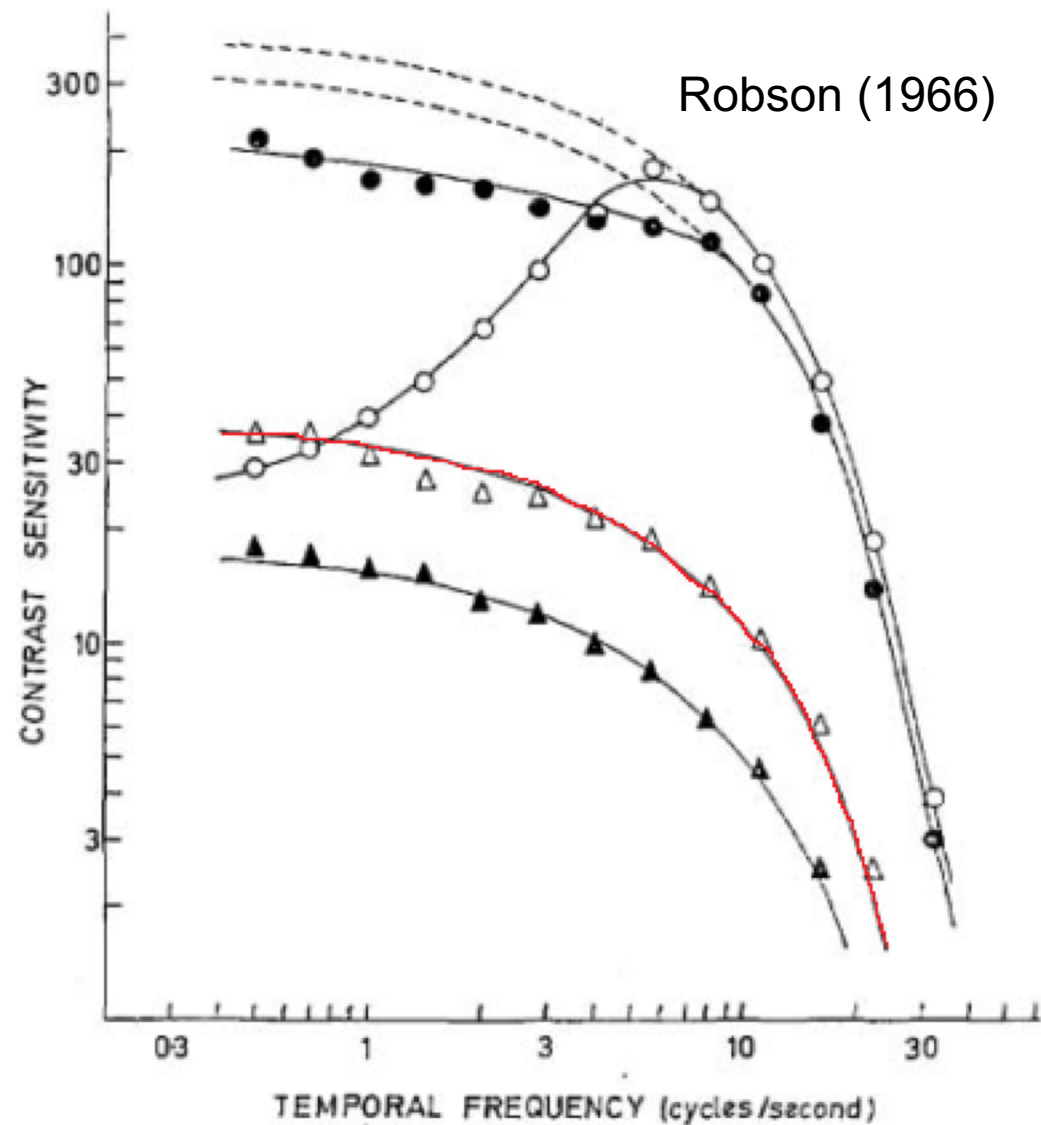
$$Q(k = 16, f; D)$$



Watson (1986),  
Roufs & Blommaert 1981 data



(c)



Robson (1966)

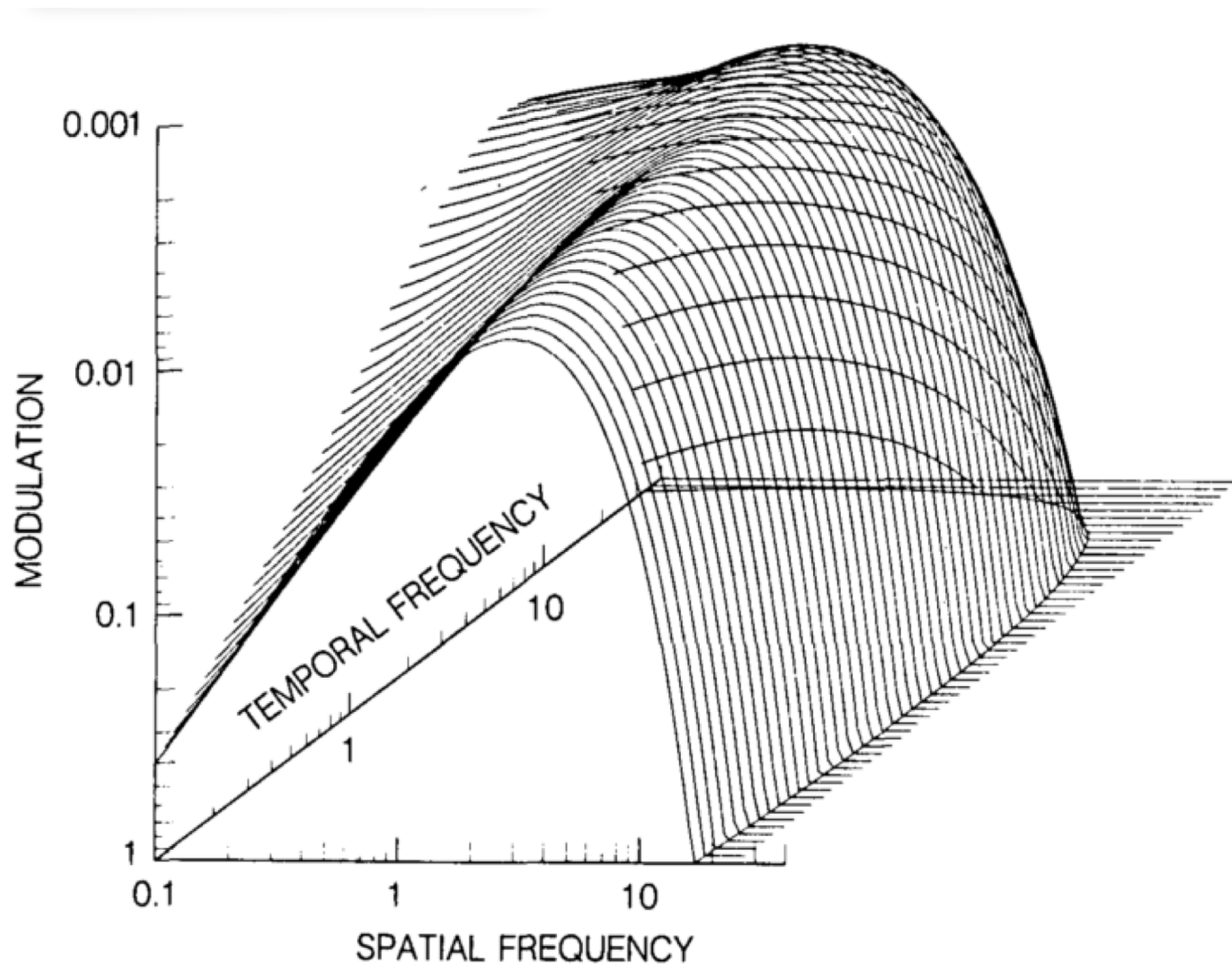
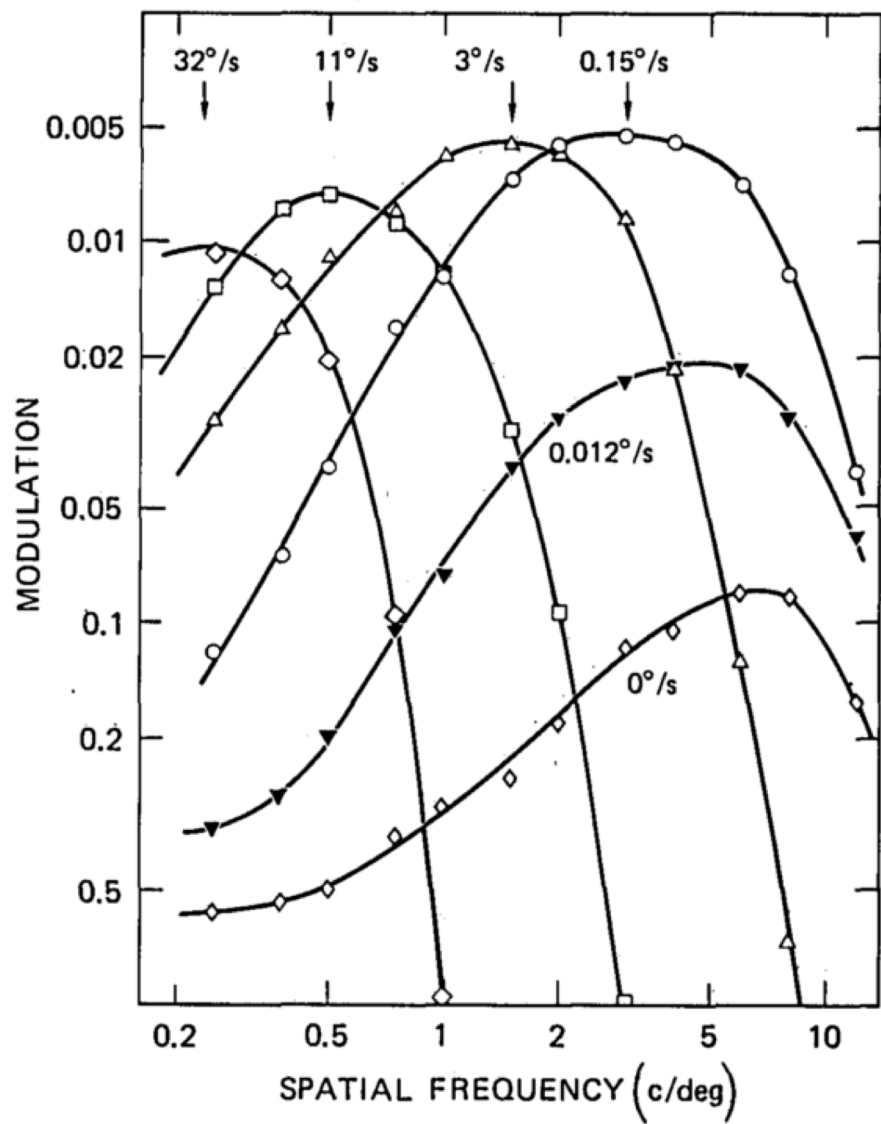
FIG. 2. Temporal contrast-sensitivity (reciprocal of threshold contrast) functions for different spatial frequencies. The points are the means of four measurements and the curves (two with dashed low-frequency sections) differ only in their positions along the contrast-sensitivity scale,  $\circ$  0.5 cycle per degree,  $\bullet$  4,  $\triangle$  16,  $\blacktriangle$  22 cycles per degree.



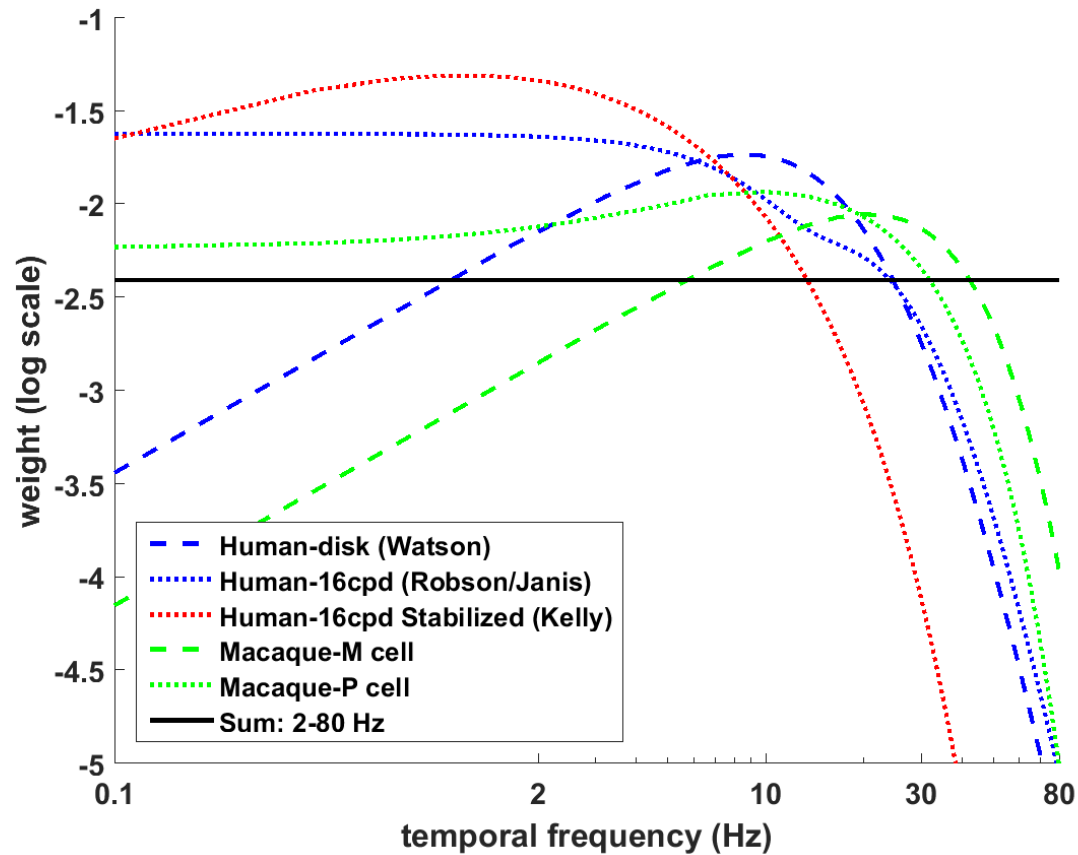
# Kelly (1979) - Stabilized

$$G(\alpha, \nu) = [6.1 + 7.3|\log(\nu/3)|^3]$$

$$\times \nu \alpha^2 \exp[-2\alpha(\nu + 2)/45.9]. \quad (8)$$



# Measured temporal sensitivity functions



- Neurophysiological recordings taken from parafovea (Benardete & Kaplan 1999ab)
- Human temporal sensitivities measured foveally (Watson 1986, Robson 1966, Kelly 1979)

# More on spatiotemporal sensitivity

- How does it spatiotemporal sensitivity vary across the retina?
  - P-to-M cell ratio & projections changes with eccentricity (Azzopardi et al 1999)
  - Do the properties of P and M-cells change with eccentricity?
- How does *human* sensitivity vary across the retina?
  - Speed of information processing varies with eccentricity (Carrasco et al 2003)
  - Foveal sensitivity is more lowpass and peripheral sensitivity is more bandpass (Snowden & Hess 1992; Allen & Hess 1992)
  - Sensitivity shape is similar at all retinal locations, just poorer in periphery (Virsu et al 1982, Rovamu et al 1978)
  - Others who have studied temporal sensitivity across the visual field choose eccentricities - fovea, 10deg, 30deg, 60deg (Pointer & Hess 1989)