

# A Model of the Post-Saccadic Dynamics of Visual Sensitivity

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- 0.5<sup>°</sup>-1°

1°-2°

2°-3°

**-** 3<sup>o</sup>-4<sup>o</sup>

**-** 4<sup>o</sup>-5<sup>o</sup>

- 5°-6°

6<sup>o</sup>-7<sup>o</sup>

>70

## Introduction

- $\succ$  Humans explore visual scenes by continually  $\widehat{\mathbf{g}}$ alternating rapid gaze shifts (saccades) with  $\sum_{n=1}^{\infty}$ slow eye movements (ocular drifts);
- > During viewing of natural scenes, this behavior yields a luminance flow with equalized power within an oscillating bandwidth [1].

### What are the consequences of this **luminance flow on visual sensitivity?**

 $\succ$  We investigated this question by simulating the responses of retinal ganglion cells (RGC) at various eccentricities during the natural saccade/fixation cycle;

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> To determine whether a grating was present, the integrated post-saccadic mean activity across all cells ( $\overline{r_i}(t)$ ) at a given eccentricity was compared to a threshold  $(\gamma(t))$ .



 $\succ$  We assume cell responses to be entirely driven by these transients (no sensitivity at 0 Hz).

## Model

#### **Visual Input**



Retinal input during the saccade/drift cycle. A, A grating embedded in natural noise with an example eye trace on top (red). **B**, The retinal image moves due to eye movements. C, the same eye trace shown in A (top) and the resulting luminance flow (bottom).

We reconstructed the luminance signals impinging



Time (ms)

0.1

spatial frequency (cpd)

Detection stage. A, For a given trial i, the average response across all cells ( $\overline{r_i}(t)$ ) is integrated from saccade off ( $\eta_i(t)$ ). The model reports presence of the grating if  $\eta_i(t) > 1$  $\gamma(t)$ . **B**, Mean activity across all cells for example trials. **C**, Distributions of integrated responses in the presence (blue) and absence (black) of the grating.

### Results

### **Contrast Sensitivity**

- $\succ$  For a 2-cpd grating, contrast sensitivity saturates immediately after a saccade and does not increase with further exposure;
- > For a 10-cpd grating, contrast sensitivity increases with prolonged postsaccadic exposure time;
- $\succ$  These dynamics closely replicate experimental data (see poster #1930).



- onto the retina as humans detected gratings (2 or 10 cpd) embedded in natural noise fields.
- Saccades resulted in abrupt changes in luminance, whereas drifts introduced slow modulations.

#### **Retinal Responses**

> We modeled ON and OFF, parvo and magno cells as rectified spatiotemporal filters with parameters from neurophysiological data [2-4];  $\succ$  RGC mosaics followed cell density maps from anatomical data [5-8].



Contrast sensitivity predicted by the model at 2 cpd (*left*) and 10 cpd (*right*). Shaded regions represent  $\pm 1$ s.e.

#### **Control Oculomotor Transients**

- $\succ$  Eliminating saccadic transients strongly impairs sensitivity at 2 cpd;
- $\succ$  Eliminating drift modulations impairs the increment in sensitivity at 10 cpd during post-saccadic fixation.



A, Retinal ganglion cells (RGCs) were models as rectified linear filters with separable spatial (RF<sub>S</sub> [2]) and temporal (RF<sub>T</sub> [3,4]) kernels.  $I(\vec{x},t)_{\xi}$  represents the luminance flow given the eye trace  $\xi$ . **Right**, Average responses of parvo On cells given an example eye trace. **B**, Average responses of all cells across eccentricities. Shaded regions, SEM across trials.

Comparison of contrast sensitivity between unstabilized and stabilized conditions. *Left*, saccade stabilized; *Right*, drift stabilized. *Top*, 2 cpd; *Bottom*, 10 cpd.

## Conclusions

- $\succ$  A biologically-plausible model that encodes space from oculomotor-induced temporal modulations closely replicates human dynamics of contrast sensitivity across the visual field;
- $\succ$  Sensitivity to low spatial frequencies is primarily determined by the fast input changes caused by saccades;
- Sensitivity to high spatial frequencies increases during post-saccadic fixation because of the transients from eye drifts.

#### Reference

Acknowledgement

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Facebook Reality Labs; National Institutes of Health grants EY018363 (MR) and EY029565 (JI).